

3.16 p.189-191 (2, 33, 35, 43, 49, 65, 71, 79, 81)

(2) **natural exponential, natural**

(33)  $f(x) = e^x$  if  $x = 9.2$  then  $e^{9.2} \approx 9897.129$

(35)  $g(x) = 50e^{4x}$  if  $x = 0.02$  then  $50e^{(4(.02))} = 50e^{0.08} \approx 54.164$

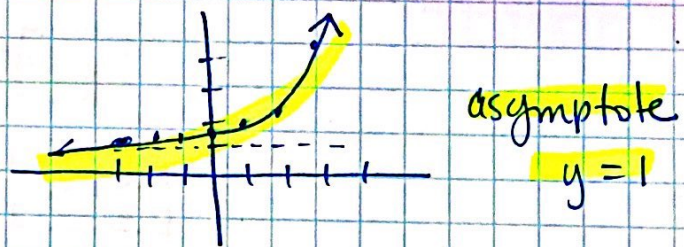
(43)  $y = 3^{x-2} + 1$

x	-3	-2	-1	0	1	2	3
y	$\frac{244}{243}$	$\frac{82}{81}$	$\frac{28}{27}$	$\frac{10}{9}$	$\frac{4}{3}$	2	4

$3^{-5} + 1$     $3^{-4} + 1$     $3^{-3} + 1$     $3^{-2} + 1$     $\frac{1}{3} + 1$     $1 + 1$   
 $\frac{1}{243} + \frac{242}{243}$     $\frac{1}{81} + \frac{80}{81}$     $\frac{1}{27} + \frac{26}{27}$     $\frac{1}{9} + \frac{8}{9}$

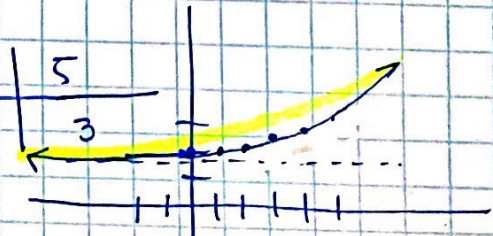
or

x	-3	-2	-1	0	1	2	3
y	1.004	1.012	1.037	1.11	1.3	2	4



(49)  $f(x) = 2 + e^{x-5}$

x	-3	-2	-1	0	1	2	3	4	5
f(x)	2.0	2.0	2.0	2.0	2.0	2.0	2.1	2.4	3



$r = 2\%$     $t = 10$    \$2500

(65)

n	1	2	4	12	365	Continuous
A	\$3047.49	\$3050.48	\$3051.99	\$3053.00	\$3053.49	\$3053.51

$A = P \left( 1 + \frac{r}{n} \right)^{nt}$   
 $2500 \left( 1 + \frac{0.02}{1} \right)^{10(1)}$     $2500 \left( 1 + \frac{0.02}{365} \right)^{365(10)}$     $A = Pe^{rt}$     $2500 e^{.02(10)}$

71.  $A = \$12000$   
 $r = 3.5\%$

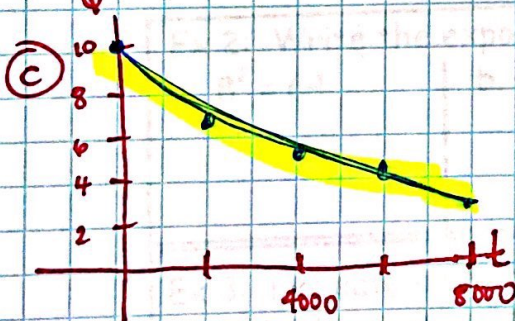
$A = Pe^{rt}$

t	1	10	20	30	40	50
A	\$2,427.44	\$17,028.81	\$24,165.03	\$34,291.81	\$48,642.40	\$69,055.23
	$12000e^{.035(1)}$	$12000e^{.035(10)}$	$12000e^{.035(20)}$	$12000e^{.035(30)}$	$12000e^{.035(40)}$	$12000e^{.035(50)}$

79.  $Q = 10\left(\frac{1}{2}\right)^{\frac{t}{5700}}$

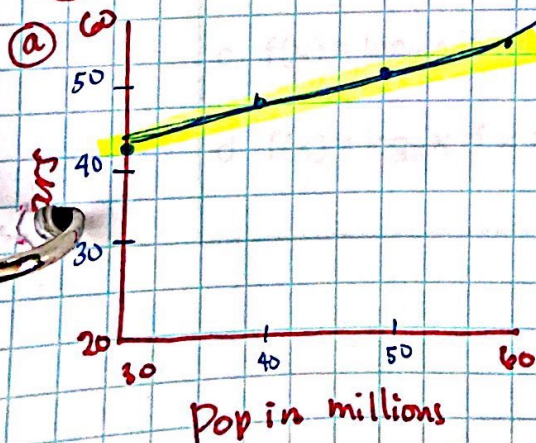
(a)  $t = 0$   $10\left(\frac{1}{2}\right)^0 = 10(1) = 10g$

(b) After 2000 years  $10\left(\frac{1}{2}\right)^{\frac{2000}{5700}} \approx 7.84g$



$y = 10\left(\frac{1}{2}\right)^{\frac{x}{5700}}$

81.  $P = 36.308e^{0.0065t}$



(b)

t	P
20	41.349
30	44.126
40	47.089
50	50.251
60	53.626

(c)

t	P
51	50.579
52	50.909
53	51.241
54	51.575

2053 Pop exceeds 51 million